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# Improving Image Deblurring Using Genetic Algorithm

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**ABSTRACT:** When we use a camera to click a picture, we want the clicked image to be an exact representation of the scene that we see—but every image is more or less blurry. Thus, image deblurring is fundamental in making pictures sharp and useful. A digital image is made of picture elements called pixels. Each pixel is assigned an intensity, meant to characterize the color of a small rectangular segment of the scene. A small picture typically has around  $2562 = 65536$  pixels while a high-resolution picture often has 5 to 10 million pixels. Some blurring always arises in the recording of a digital image, because it is unavoidable that scene information “spills over” to neighboring pixels. For example, the optical system in a camera lens may be out of focus, so that the incoming light is smeared out. The same problem arises, for example, in astronomical imaging where the incoming light in the telescope has been slightly bent by turbulence in the atmosphere. In these and similar situations, the expected result is that we record a blurred image.

In image deblurring, we want to recover the unique, sharp image by using a mathematical model of the blurring process. The issue is that some information on the lost details is present in the blurred image—but this information is “hidden” and can only be improved if we know the details of the blurring process. Unhappily there is no hope that we can recover the original image exactly! This is due to various unavoidable errors in the recorded image. The most important errors are approximation errors and fluctuations in the recording process when representing the image with a limited number of digits. The effect of this noise puts a limit on the size of the details that we can hope to recover in the reconstructed image, and the limit depends on both the noise and the blurring process. Keywords—component; formatting; style; styling; insert (key words)

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## I. INTRODUCTION

Image deblurring (ID) is a problem where the observed image is produced as the convolution of a sharp image with a blur filter, possibly along with some noise (assumed spectrally white and Gaussian). With applications in many areas (e.g. photography, surveillance, remote sensing, medical imaging, astronomy), research on ID can be split into *non-blind* ID (NBID), in which the blur filter is assumed familiar, and (real) *blind* ID (BID), in which both the image and the blur filter are (totally or partly) are not familiar. Despite its narrower applicability, NBID is already a challenging problem to which a large amount of research has been (and still is) devoted, mainly due to the ill-conditioned nature of the blur operator: the observed image does not uniquely and stably determine the underlying original image [38]. If this problem is serious with a known blur, it is much worse if there is even a slight mismatch between the assumed blur and the true one. Most of the NBID methods overcome this difficulty through the use of an image regularizer, or prior, the weight of which has to be tuned or adapted. Most state-of-the-art regularizers exploit the sparsity of the high frequency/edge components of images; this is the rationale underlying wavelet/frame-based methods and total variation (TV) regularization. With application not only in ID, but also in other inverse problems, several optimization techniques have been proposed to handle scarcity-inducing regularizers.

In BID, even if the blur operator was not ill-conditioned, the problem would still be inherently ill-posed, since there is a vast number of solutions adaptable with the blurred image. In order to obtain reasonable results, most BID techniques restrict the class of blur filters, either in a hard way, through the use of parametric models, or in a soft way, through the



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use of priors/regularizes. In contrast, a recent BID method does not use prior knowledge about the blur, yet achieves state-of-the-art performance on a huge range of synthetic and real problems. That method is iterative and starts by supposing the main features of the image, using a large regularization weight, and gradually learns the image and filter details, by slowly decreasing the regularization parameter. From an optimization point of view, this can be seen as a continuation method designed to obtain a good local minimum of the underlying non-convex objective function.

The disadvantage of the technique is that it is not automatic but it requires manual stopping, which corresponds to choosing the final value of the regularization parameter. In fact, adjusting the regularization parameter and/or finding robust stopping criteria for iterative (blind or not) ID algorithms is along standing, but still open, research area. A crucial issue in the regularization of ill-posed inverse problems is the choice of the regularization factor, a subject to which much work has been devoted. The *discrepancy principle* (DP) chooses the regularization factors that the variance of the residual equals that of the noise; the DP thus requires an accurate estimate of the noise variance and is known to yield over-regularized estimates. A recent extension of the DP uses not only the variance, but also other residual moments. Local residual information have also been used to obtain locally adaptive TV regularizes for NBID.

## II. IMAGE DEBLURRING

ID can be split into *non-blind* ID (NBID), in which the blur filter is assumed familiar, and (real) *blind* ID (BID), in which both the image and the blur filter are (totally or partly) are not familiar.

### A. Non-blind Deblurring

In NBID,  $h$  is assumed to be known and the cost function (2) is reduced with respect to  $x$ , given some of the regularization factor  $\lambda$ . Many optimization methods for ID decrease the cost function (2) iteratively compute the picture estimate at iteration  $t+1$  as a reason of the previous estimate  $x_t$ , the available data ( $y$  and  $h$ ), and the regularization parameter  $\lambda$ :

$$x_{k+1} = f(x_k, y, h, \lambda). \quad (3)$$

Besides requiring a good estimate for the regularization parameter  $\lambda$ , these iterative approaches also need stopping criteria, which considerably influence the final results. For fairness, it should be mentioned that some high-tech methods don't fall in the category of methods mentioned in the previous paragraph. For example, the method proposed in [16] (arguably the method yielding the current best results) is iterative, but rather than look for a minimize of an objective function, it looks for equilibrium between two objective functions. Other NBID methods are not based on iterative minimization of objective functions.

### B. Blind Deblurring

In BID, both the image and the filter are not familiar. A BID problem suffers from an obvious scarcity of data, since there are many pairs ( $x, h$ ) that explain equally well the observed data  $y$ . Most BID methods circumvent this difficulty by adding to (2) a regularizer on the blur filter and, usually, by alternatingly estimating the image and the blur filter. A regularizer on the blur naturally involves an supplementary regularization parameter, also requiring alteration, while the alternating estimation of the image and the filter requires good initialization (since the underlying objective (2) is non-convex) and a good criterion to stop the iterative process.

## III. GENETIC ALGORITHM

In the existing system the researchers have focused on estimation of parameters for blind and non blinded blurring which causes inherent time delay in estimation of residual whiteness measures. Thus the system speed is reduced and overall system accuracy is compromised. Our approach will be to reduce the system time and improve the accuracy.

In our approach we will be integrating residual whiteness measures with genetic algorithm so that the speed of estimation is improved and also genetic algorithm finds the best possible solution of a particular problem so we will get the best deblurring results. Genetic algorithm works in the following steps



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1. Generate population for all possible deblurring solutions.
2. For each iteration perform the following.
  - A) Find the fitness of each solution.
  - B) Fitness will be a function of delay time and SNR.
  - C) Find the mean fitness.
  - D) Remove all solutions which have fitness value lower than the mean fitness.
  - E) For all other solutions pass them to next iteration.
3. At the end of all iteration select the solution with best fitness.

## IV. THE WHITENESS CRITERIA

### A. Rationale

The proposed criteria for selecting the regularization parameter and the stopping iteration are based on measures of the fitness of the image estimate  $\hat{x}$  and the blur estimate  $\hat{h}$  (in NBID,  $h$  is known, thus  $\hat{h} = h$ ) to the degradation model (1), by analyzing the estimated residual image:

$$r = y - \hat{h} * \hat{x}. \quad (4.1)$$

**Algorithm 1:** Blind method of [2], [3]

- 1 Set  $\lambda$  to the initial value; choose  $\alpha < 1$ .
- 2 Set  $bx = y$
- 3 repeat
- 4  $bh \leftarrow \arg \min_h C_-(bx, h)$
- 5  $bx \leftarrow \arg \min_x C_-(x, bh)$
- 6  $\lambda \leftarrow \alpha \lambda$
- 7 until stopping criterion is satisfied

The characteristics of the residual  $r$  are then compared with those assumed for the noise  $n$  in the degradation model (1). In particular, the noise  $n$  is assumed to be spectrally white (uncorrelated), thus a measure of the whiteness of the residual  $r$  is used to assess the adequacy of the estimates  $(\hat{x}, \hat{h})$  to the model. This is a quite generic assumption, valid for most real situation. Our approach differs from other methods based on residual statistics, those methods do not use spectral properties of the residual, but other statistics, such as variance and other moments. The proposed criterion consists in selecting the regularization parameter and/or final iteration of the algorithm that maximize one of the whiteness measures introduced below. If this measure exhibits a clear peak as a function of the regularization parameter and/or the iteration number, we adopt an oriented search scheme and stop the method as soon as the measure of whiteness starts to decrease. This is the case in the BID algorithm mentioned in the previous section. Also in NBID, if optimizing only with respect to  $\lambda$ , an efficient strategy is to sweep a range of values, using the estimate at each value to initialize the algorithm at the next value; this process is known warm-starting, and may yield large computational savings. In our NBID experiments, when optimizing with respect to  $\lambda$  and/or the number of iterations, and since the goal is to assess the ability of the proposed criteria to select these quantities, with no concern for computational efficiency, we simply consider a grid of values and return the image estimate yielding the maximum residual whiteness.

### B. Measures of Whiteness:

The first step of our method is to normalize the residual image<sup>3</sup> to zero mean and unit variance; for simplicity of notation, let this normalized residual still be denoted as

$$\bar{r} \leftarrow \frac{r - \bar{r}}{\sqrt{\text{var}(r)}} \quad (4.2)$$

where  $\bar{r}$  and  $\text{var}(r)$  are, respectively, the sample mean and sample variance of  $r$ . The auto-correlation (and autocovariance, since the mean is zero) of the normalized residual  $\bar{r}$ , at the two-dimensional (2D) lag  $(m, n)$ , is estimated by

$$R_{rr(m,n)} = k \sum_{i,j} \bar{r}(i,j) \bar{r}(i-m, j-n) \quad (4.3)$$



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where the sum is over the residual image, and  $K$  is an irrelevant constant. The auto-covariance of a spectrally white image is a delta function at the origin ( $\delta(m, n) = 1$ , if  $m = n = 0$ ,  $\delta(m, n) = 0$ , otherwise). A measure of whiteness is thus the distance between  $R_r$  and a delta function. Considering a  $(2L + 1) \times (2L + 1)$  window, the first proposed whiteness measure is simply the energy of  $R_r$  outside the origin,

$$M_r(r) = - \sum_{\substack{(m,n) \in [-L, L] \\ (m,n) \neq (0,0)}}^{L,L} (R_r(m, n))^2 \quad (4.4)$$

where the minus sign is used to make  $M_r$  larger for whiter residuals. In our experiments, we have used  $L = 4$ .

### C. Local Measures of Whiteness

The approach described in the previous subsection implicitly assumes that the residual image  $r$  is a sample of a stationary and ergodic process, since we estimate the auto-covariance (5) by averaging over the whole image. In practice, the residual may not be stationary, which leads us to consider also local versions of the previous measures of whiteness, based on local auto-covariance estimates,

$$R_r^b(m, n) = \sum_{i, j \in B_b} r(i, j) r(i-m, j-n) \quad (4.5)$$

where  $b$  indexes an image block, and  $B_b$  is the set of pixels in that block. In the experiments reported below, we have used partially overlapping  $9 \times 9$  blocks, separated horizontally and vertically by 5 pixels, and only those that are fully contained in the image domain. Of course, in this case, the residual is normalized to zero mean and unit variance on a block-by-block fashion, rather than globally. Given this block partition, the three local measures of whiteness,  $M_R^b$ ,  $M_{RW}^b$  and  $M_H^b$  are obtained by computing the corresponding local measures  $M_R$ ,  $M_{RW}$ , and  $M^H$ , respectively, at each block, and the averaging over all the blocks of the image.

### D. Color Images

The measures of whiteness presented in the previous subsection were defined for gray-scale images. In order to use them with color images, several approaches can be followed. Assuming that the three color channels were degraded by the same blur filter, we adopt a simple procedure in all the examples reported below. At each iteration of Algorithm 1, the image estimate is converted to gray-scale and the residual is computed using a (previously computed) gray-scale version of the blurred image and the current blur filter estimate. In the NBID case (although we don't report any experiments), the degraded and the estimated images are converted to gray scale, where the proposed whiteness measures are computed.

## V. ALGORITHM

Picture editing consists of the processes of altering images, whether they are digital photographs, conventional photochemical photographs, or illustrations. Traditional analog image editing is known as photo retouching, using tools such as an airbrush to adapt photograph, or cutting illustration with any conventional art medium. Graphic software programs, which can be broadly grouped into vector graphics editors, raster graphics editors, and 3D modelers, are the primary tools with which a user may change, enhance, and transform images. Many image editing programs are also used to create computer art from scratch.

To achieve clear and bright images under dim lighting conditions is a challenging work. The brightness of the images can be determined by sensor sensitivity (ISO), exposure time and aperture. A higher ISO value, longer exposure time, and wider aperture setting increase the image brightness at the cost of image quality. A longer exposure time effectively ensures brightness of acquired image but leads to a higher probability of movement in both the scene and the camera while the shutter is open. Conversely, a higher ISO setting to obtain brighter image introduces more noise which is composed of time-independent and time-dependent components. The situation requires a higher ISO value implies a weak image signal and a relatively high level of time-independent noise which is inherent in the sensor. A shorter exposure time for compensating the high ISO results in time-dependent noise due to increased randomness of captured photons. In most cases, since the incoming light is insufficient in dark situations, both noise and blur are present in the image.

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- 1.To improve the speed of image deblurring.
- 2.To improve the SNR of deblurred image.

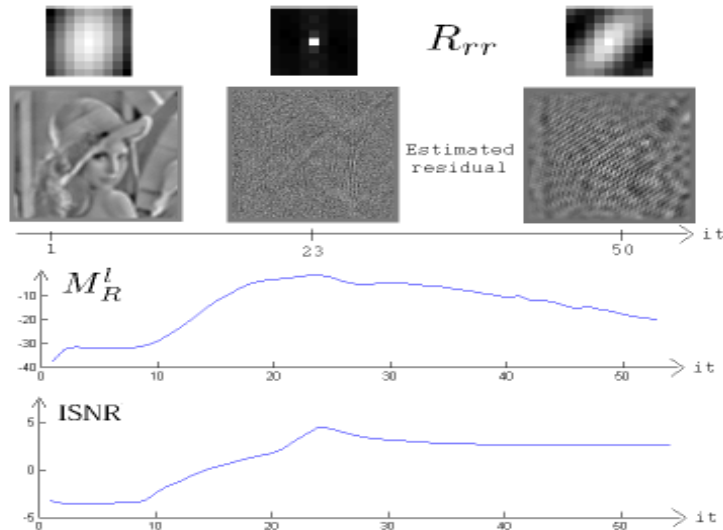


Fig. 2. Illustration of the proposed approach; results obtained with the *Lena* image, blurred with an out-of-focus blur and contaminated with noise at 30dB BSNR. Evolution along the iterations (from top to bottom) of:  $R_{rr}$ , residual image  $r$ , whiteness measure  $MR$ , and  $ISNR$ .

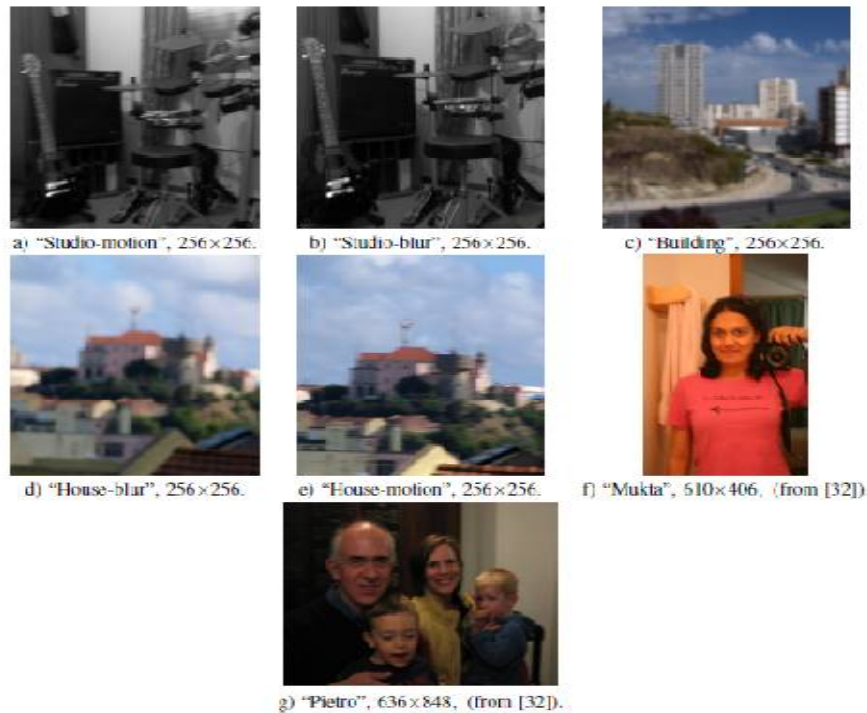


Fig. 3. Real-life photos used in the experiments. (b), (c), and (d) are out of focus; (a), (e), (f), and (g) suffered motion blur.



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## VI.RESULT AND DISCUSSION

In the fig 1, it shows the graph of length x theta VsPSNR for blind deblurring.

Length x theta Vs PSNR for blind deblurring

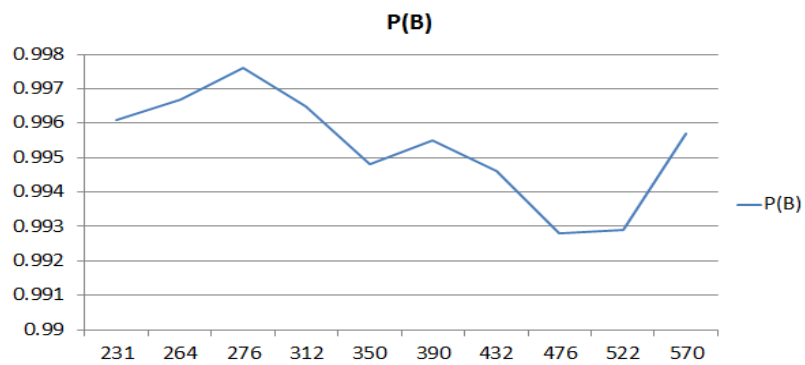


Fig 1:Length x theta Vs PSNR for bling deblurring

In the fig 2, it shows the graph of length x theta VsPSNR for non blind deblurring.

Length x theta Vs PSNR for non blind deblurring

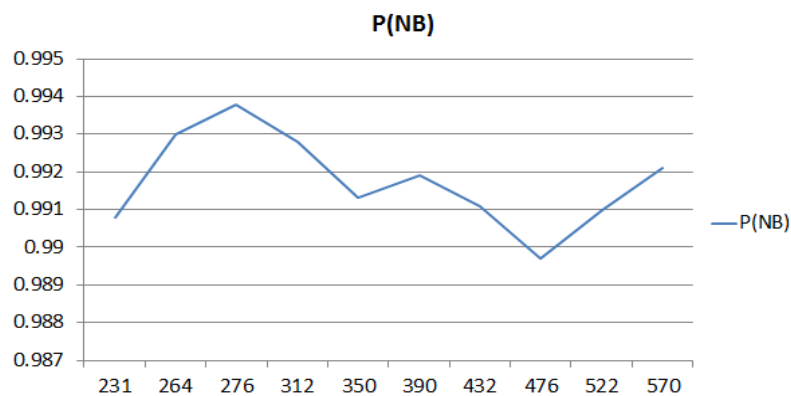


Fig 2:Length x theta Vs PSNR for non bling deblurring



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In the fig 3, it shows the graph of length x theta Vs time for blind deblurring.

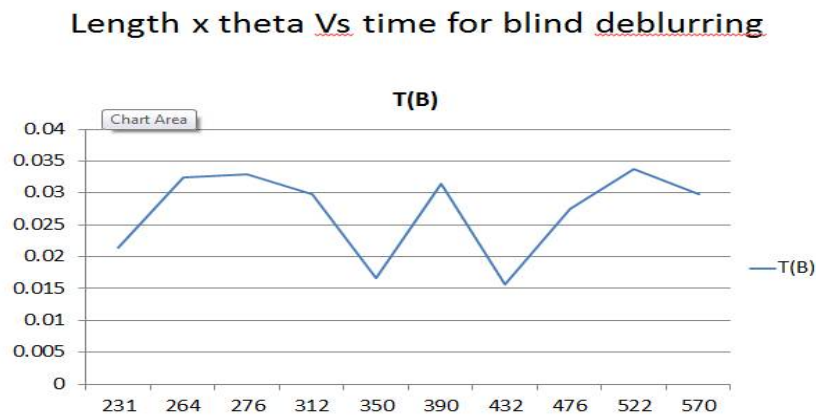


Fig 3:Length x theta Vs time for bling deblurring

In the fig 4, it shows the graph of length x theta Vs time for non blinddeblurring.

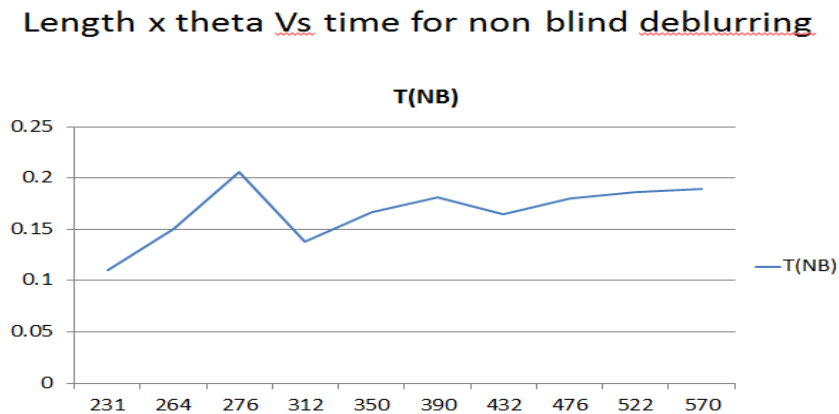


Fig 4:Length x theta Vs time for non blingdeblurring

## VII.CONCLUSION

We have suggested new technique that can be used to choose the regularization factor and to stop iterative blind and non-blind picture deblurring algorithms. Our suggestion is based on measures of the whiteness of the residual image. The technique is quite general and does not need any information about the type of convolution factor. The suggested method were aggravated by blind de-convolution complexity, and it is particularly well suitable to a new state-of-the-art method that uses a *continuation* scheme based on the regularization parameter. On a huge range of synthetic experiments ,we show that the best of the suggested criterion yield ISNR losses with the respect to the best ISNR of only 0.15dB, on average. The method was also compare with two other criterion, of the few that can be used in blind de-convolution complexity, showing to execute better in terms of SNR. Finally, test on more than a few real images, dishonored with a variety of out-of-focus and motion blurs, show that the proposed method yields visually good outcome. The proposed technique was shown to be also adequate for estimate both the regularization factor and the number of iteration of non blinddeblurring algorithm.



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